

Use a graphing calculator to find the zeros and extrema. Identify extrema as abs./rel. max./min. Round to 2 decimal places.

8/27

$$1.) b(x) = -2x^3 + 5x^2 + x$$

$$2.) c(x) = x^5 + 12x^2 - 7$$

$$3.) g(x) = -3x^4 - 3x^3 + 10x^2 + 10x + 8$$

$$4.) h(x) = 3x^3 + 5x^2 - 8x - 2$$

$$5.) p(x) = (x+2)(x-5)(x+4)$$

$$6.) m(x) = -(x-1)(x+2)(x+3)(x-2)$$

Try the function below:

```

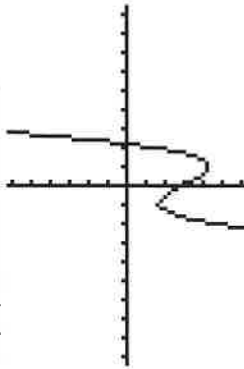
F1:Y1 Plot2 Plot3
Y1: .7X^3-2X-3
Y2:
Y3:
Y4:
Y5:
Y6:
Y7:
    
```

Make the "friendly window" the one that emulates the screen dimensions.

```

WINDOW
Xmin=-9.4
Xmax=9.4
Xscl=1
Ymin=-6.2
Ymax=6.2
Yscl=1
Xres=1
    
```

It should look like this.

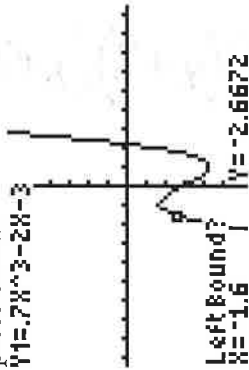


Press "CALCULATE" and select Maximum. This is the tool that can help locate local maximums, like the bump on the left hand side of this graph.

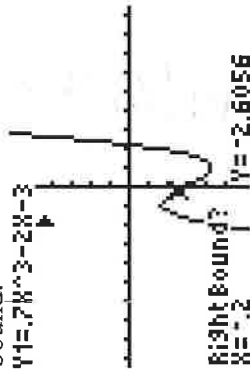
```

CALCULATE
1: value
2: zero
3: minimum
4: maximum
5: intersect
6: dy/dx
7: ∫f(x)dx
    
```

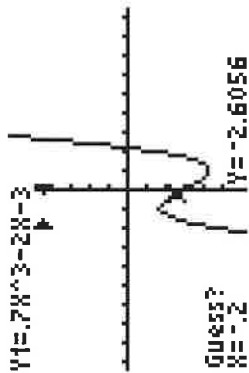
The calculator will prompt you for 2 things in each of these examples; a left bound, that is a point to the left of desired point and a right bound. When you move the cursor to a point to the left of the maximum, press enter.



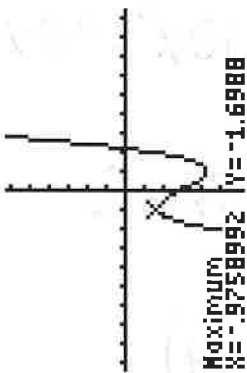
Do the same for the right bound.



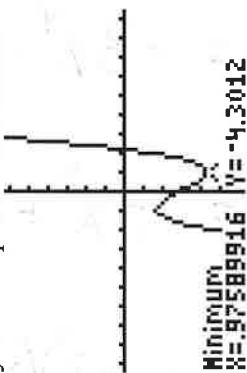
Then, it asks you to "guess." I usually skip this part, but must press enter.



The result will be a local maximum, like -.9758992 below.



The steps for the local Minimum are the same. See if you end up with this screen.

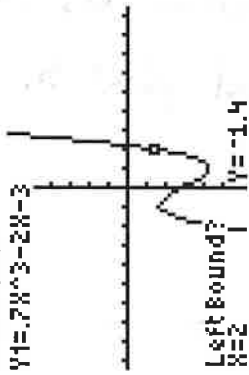


A Zero is a place where the graph crosses the x-axis. If there are more than one, you have to do them one at a time. The progression of steps is the same as Maximums and Minimums.

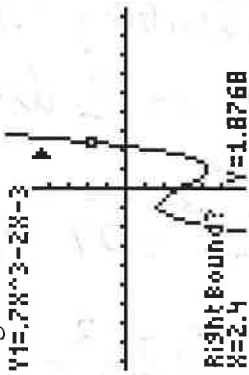
```

CALCULATE
1: value
2: zero
3: minimum
4: maximum
5: intersect
6: dy/dx
7: ∫f(x)dx
    
```

Left Bound.



Right Bound



A guess, then the answer. 2.19341

